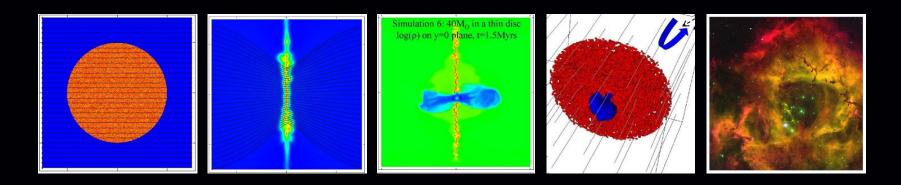
## School of Physics and Astronomy



## Simulations of thermal instability in the ISM



Chris Wareing, J. Pittard, S. Falle, S. Van Loo, M. Kupilas

**Solar1:** Non-equilibrium thermodynamics across scales: from the solar corona to the intracluster medium

National Astronomy Meeting 2022, University of Warwick, 12/7/2022

## History: models for stellar feedback



The original project aim was to develop a realistic initial condition following the formation of molecular clouds from the ISM to examine the importance of subsequent massive star feedback.

Started by taking arguably the minimum number of physically self-consistent inputs for the formation of a molecular cloud:-

- Multi-phase ISM including thermal instability
- Self-gravity
- Magnetic field



Add more complexity later if necessary:-

- Large-scale flows: shocks and SNRs (see Kupilas et al. 2021,2022), cloud collision
- Shear and pressure waves, imitating galactic evolution
- "Turbulent" initial conditions applying randomised velocities up to Mach ~5

Jog pressure

Koyama & Inutsuka (2002),
(2007 correction)

2.0
Jog particle density

but if one can produce realistic clouds without recourse to extra inputs...

lex parsimoniae / Occam's razor

#### Theory: thermal instability in the ISM

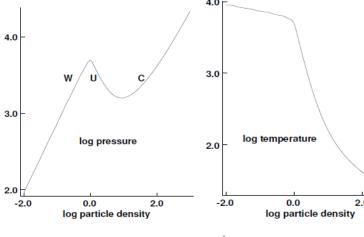


Two stable phases exist in which heating balances cooling (Parker '53, Field '65, Wolfire et al. '95)

 $W-warm\ phase\ (T>5000K,\ \rho<1,\ P/k<5000)$ 

 $C - cold phase (T < 160K, \rho > 10, P/k > 1600)$ 

In between is an unstable region (U), where perturbations to equilibrium grow at a scale from cooling time and sound speed ~ few pc.



Molecular cloud formation (10K) and stellar feedback (10<sup>8</sup>K) requires multi-stage cooling function ( $\Lambda$ ):

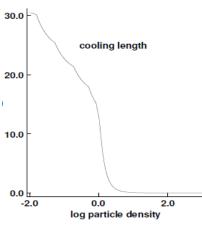
 $<10^4$ K  $\Lambda$ : Koyama & Inutsuka (2002), (2007 correction)

 $10^4 \text{K} < \text{T} < 10^8 \text{K}$   $\Lambda$  : CLOUDY 10.00 Gnat & Ferland (2012)

 $>10^8$ K  $\Lambda: MEKAL$  - free-free bremsstrahlung.

Constant heating rate  $\Gamma = 2 \times 10^{-2} \text{ erg s}^{-1}$  independent of  $\rho$ , T

 $\Rightarrow$  Establishes thermal equilibrium P and T by:  $\rho^2 \Lambda = \rho \Gamma$ 



Note: altering heating and cooling functions can change, even suppress, this behaviour!

#### Growth of cold, dense structure



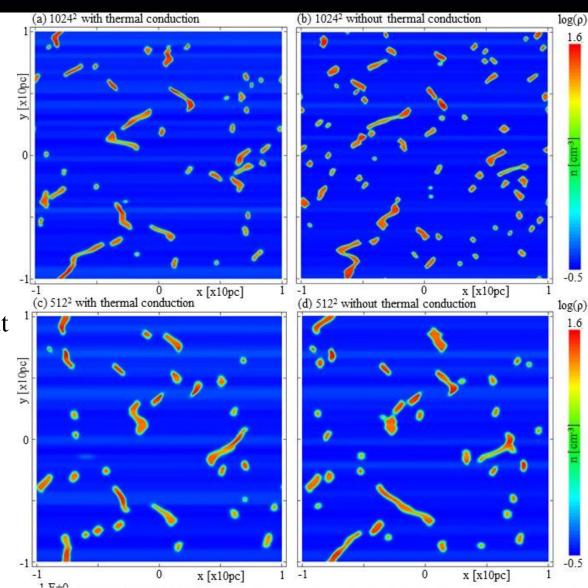
#### Idealised case

- Periodic boundary conditions.
- Approximately 30 cells across the initial Field length at 1024<sup>3</sup>, 15 at 512<sup>3</sup>.

#### Results

• Similar with and without thermal conduction.

Agreement amongst many groups that neither thermal conduction nor resolution have much effect on the final large-scale result.



#### Initial condition for the ISM



1.21

0.10

**Spherical cloud, radius 100pc, density**  $n_H$ =1.1 – in the thermally unstable regime. External medium density  $n_H$ =0.1, over-pressure same as cloud. Self-gravity.

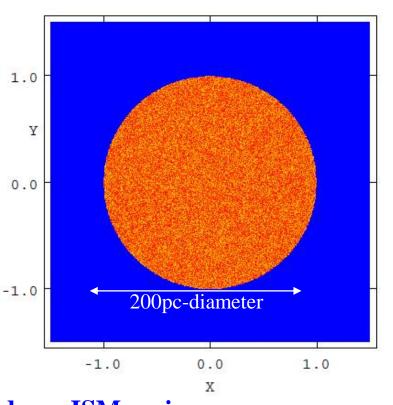
Impose random 10% density perturbations on finest initial AMR grid level (512<sup>3</sup>)

Quiescent cloud <u>v</u>=0

Extract and resimulate as density increases Up to 10 levels of AMR (4096<sup>3</sup>: 0.039pc)

Mass: 135,000  $M_{\odot}$ 

Initially no magnetic field



Summary: our input is a quiescent over-dense ISM region

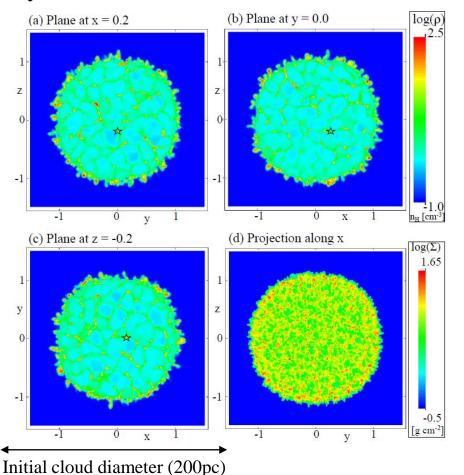
Code: Magnetohydrodynamic version of Falle's MG with self-gravity.

#### Result via non-equilibrium evolution

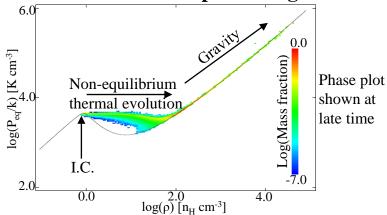


Cold, dense, stable condensations form across the cloud surrounded

by warm, diffuse, stable medium...

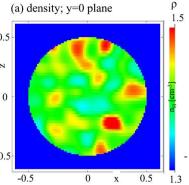


**Evolution across the phase diagram** 



High density regions occur 0.5 after 16.2 Myrs of diffuse occur oc

Extract central section at t=16.2 Myrs



#### Increase resolution and simulate on...

- a further 28.5 Myrs (total ~44.5 Myrs)
- resolution up to 0.039pc

#### Outputs: clumps, filaments and flows

Filaments grow as material falls in, from

widths around ~0.1pc to 0.6pc

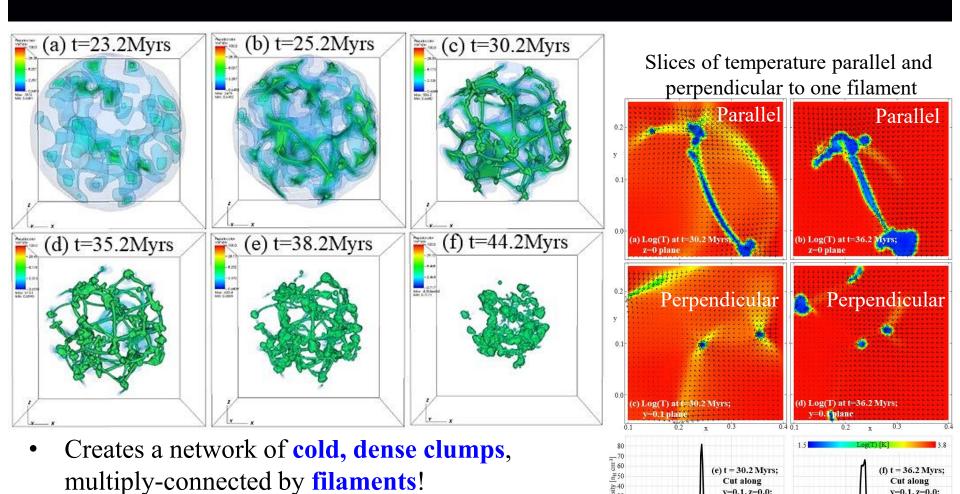


Cut along y=0.1, z=0.0;

FWHM=0.26pc

y=0.1, z=0.0;

FWHM=0.56pc



Near-sonic flow (up to 0.2 km s<sup>-1</sup>) along the filaments toward the clumps.

## Outputs: realistic clumps

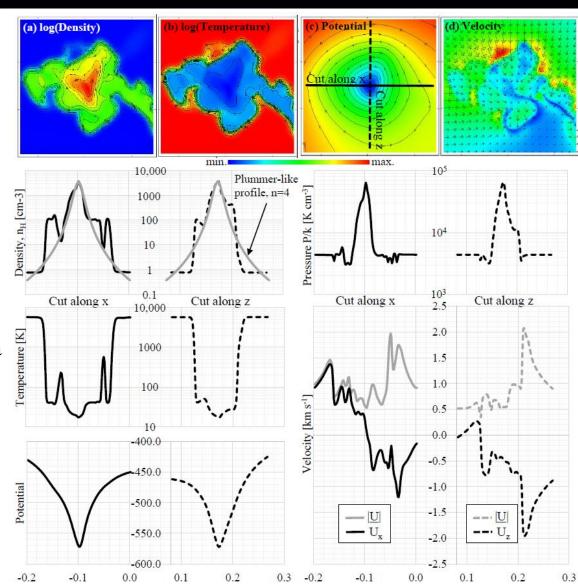


Fellwalker algorithm (Berry 2015) identified 21 distinct clumps with masses  $>20 M_{\odot}$ 

Properties in agreement with Bergin & Tafalla (2007) review:-  $50\text{-}500 \text{ M}_{\odot}$ , 0.3-3 pc,  $10^3\text{-}10^4 \text{ cm}^{-3}$ , 0.3-3.0 km/s, 10-20 K

#### An individual 250 $M_{\odot}$ clump:

- Complex non-spherical nature
- Central density distribution fits a Plummer-like n=4 curve
- Clearly defined sharp boundary, most noticeable in temperature distribution
- Increased internal pressure indicates gravitational collapse

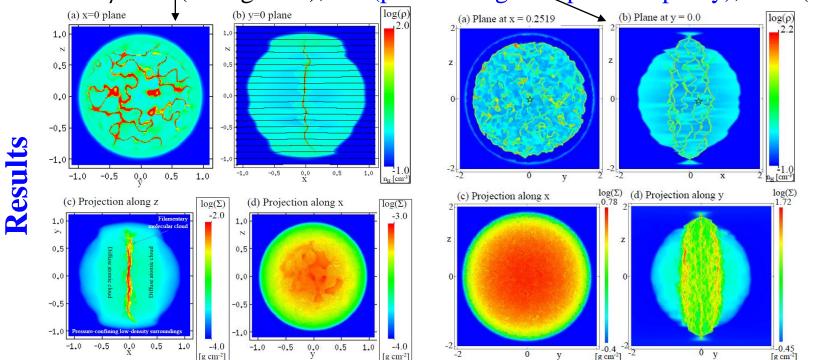


#### Addition of magnetic field



Exactly the same as hydro, but with uniform field in the x-direction

- Regular (1.7  $10^4$  M<sub>o</sub>) and enlarged (1.35  $10^5$  M<sub>o</sub>) clouds under consideration
- Plasma  $\beta$ : 0.1 (strong field), 1.0 (plasma/magnetic pressure parity), 10.0 (weak field)



 $B = rac{
ho k_B T}{B^2/2 \mu_0}$  thermal pressure magnetic pressure

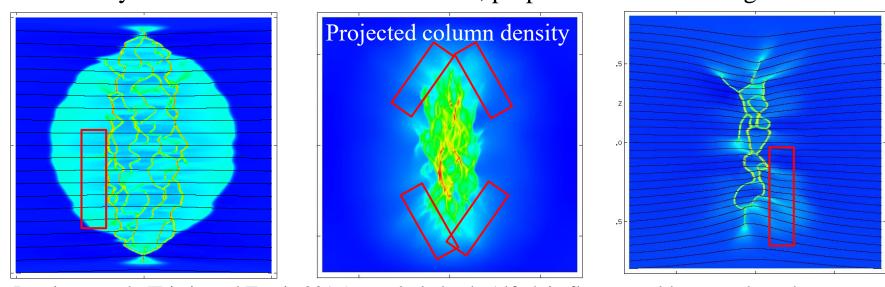
Magnetic seismology of Musca 'filament' indicates this structure!

(Tritsis & Tassis 2018, Science, vol 360, Issue 6389, pp.635-638)

## **Striations**, hour-glasses and integrals



Diffuse material moves along field lines and naturally forms low-density structure parallel to the magnetic field. This is the natural pre-cursor to the high-density filamentary structure that forms in the cloud, perpendicular to the magnetic field.

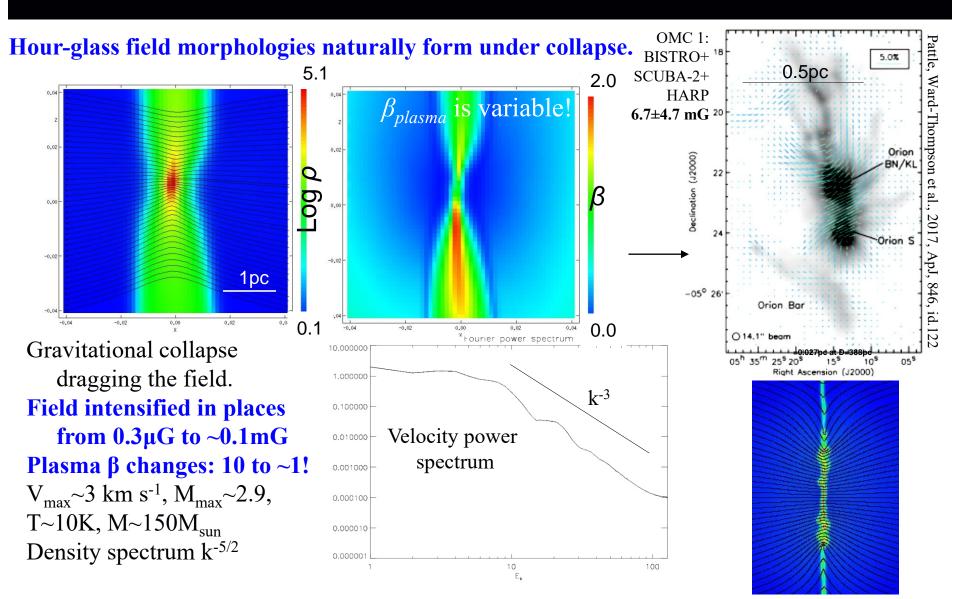


- Previous work (Tritsis and Tassis 2016) concluded sub-Alfvénic flows would not produce the observed density contrasts (0.03% contrast versus >25% observed)
- However, here we produce a range of density contrast up to factor 3 (400%) at a range of alignments
- A further criticism of sub-Alfvénic flows has been the difficulty in which magnetically parallel and perpendicular structure can be produced in the same simulation no problem here!

The difference is in the initial condition. T&T initialised realistic B and  $\rho$ , but isothermal throughout at 15K with no gravity.

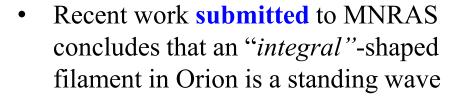
## Striations, hour-glasses and integrals



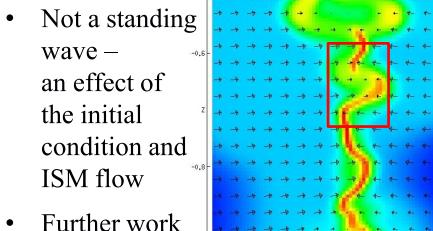


## Striations, hour-glasses and integrals



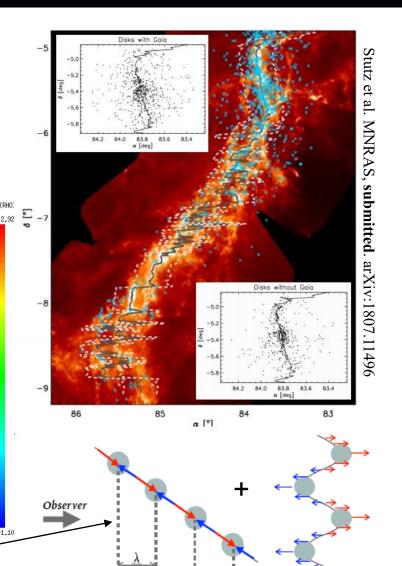


• We obtain apparently similar structure, with disconnects in the velocity caused by the TI-driven flow



required

See also: Liu, Stutz & Yuan, 2019, MNRAS, 487, 1259



#### Conclusions



**Realistic minimal inputs** - thermal instability in diffuse interstellar medium, self-gravity and magnetic fields - can create realistic molecular clouds.

Without magnetic field, the cloud complex contains realistic cold, dense clumps.

- The clumps are connected by a network of cooler, less dense filaments, with widths 0.2 to 0.6 pc.
- The quiescent clouds create their own "turbulence" with realistic spectral indices and Mach  $\sim 1-2$ .
- There are near-sonic (0.2 km s<sup>-1</sup>) flows along the filaments into the cores, as observed.

With magnetic field, the cloud flattens into a corrugated sheet-like structure.

- In projection, the clouds appear very filamentary parallel striations and perpendicular filaments.
- Mechanical stellar wind feedback can be directed away from the structure and provide an elegant explanation for the nature of the Rosette Nebula.
- Collapse of the sheet intensifies magnetic field to tens or more of  $\mu G$  and creates hour-glass fields.
- Disconnects across the sheet, driven by the flow, create integrals and gaps in position-vel. maps.

Thermal instability driven initial condition:

Magnetic feedback general case:

Hydrodynamic feedback general case:

Rosette feedback special case:

Hydro case: sheets, filaments and clumps

Thermal instability re-visited

MHD case: striations, hour-glasses & integrals

Shock-cloud interaction:

SNR-cloud interaction:

Wareing, Pittard, Falle & Van Loo, 2016, MNRAS, 459, 1803

Wareing, Pittard & Falle, 2017, MNRAS, 465, 2757

Wareing, Pittard & Falle, 2017, MNRAS, 470, 2283

Wareing, Pittard, Falle & Wright, 2018, MNRAS, 475, 3598

Wareing, Falle & Pittard, 2019, MNRAS, 485, 4686

Falle, Wareing & Pittard, 2020, MNRAS, 492, 4484

Wareing, Falle & Pittard, 2021, MNRAS, 500, 2831

Kupilas, Wareing, Pittard & Falle, 2021, MNRAS, 501, 3137

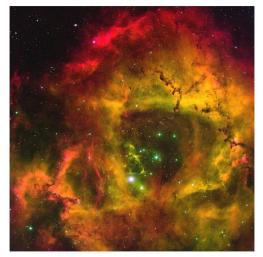
Kupilas, Pittard, Wareing & Falle, 2022, MNRAS, 513, 3345

## Outputs: Giant Molecular Clouds (GMCs)



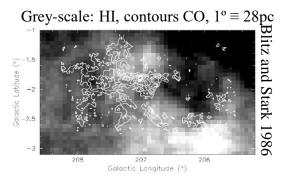
#### Most stars are formed in GMCs, e.g. Rosette MC

Size	~ 35 pc	
Mass	$\sim 10^5  \mathrm{M}_\odot$	
Mean density	$\sim 10^{-22} \mathrm{g}\mathrm{cm}^{-3}$	
Temperature	~ 10 K	$\rightarrow$ sound speed $\sim 0.2 \text{ km s}^{-1}$
Alfvén speed	$\sim 2 \text{ km s}^{-1}$	magnetic pressure dominates
Velocity dispersion	$\sim 10 \text{ km s}^{-1}$	supersonic and super-Alfvénic
Jeans Mass	$\sim 10^7  \mathrm{M}_{\odot}$	based on velocity dispersion



#### But the Rosette MC is not homogeneous: CO maps show it contains ~70 clumps with

Size	~ 3.5 – 8 pc
Mass	$\sim 10^2 - 2 \times 10^3 \mathrm{M}_{\odot}$
Mean density	$\sim 10^{-21} \text{ g cm}^{-3}$
Temperature	~ 10 K
Alfvén speed	$\sim 2 \text{ km s}^{-1}$
Velocity dispersion	$\sim 1 \text{ km s}^{-1}$
Jeans Mass	$\sim 3 \mathrm{x} 10^3  \mathrm{M}_{\odot}$

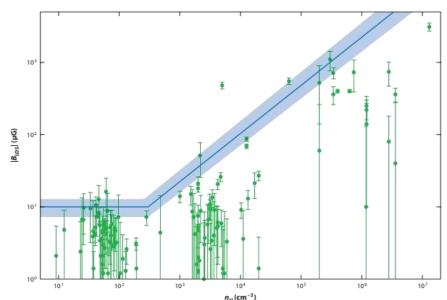


<= Supersonic, but now sub-Alfvénic

#### Theoretical models



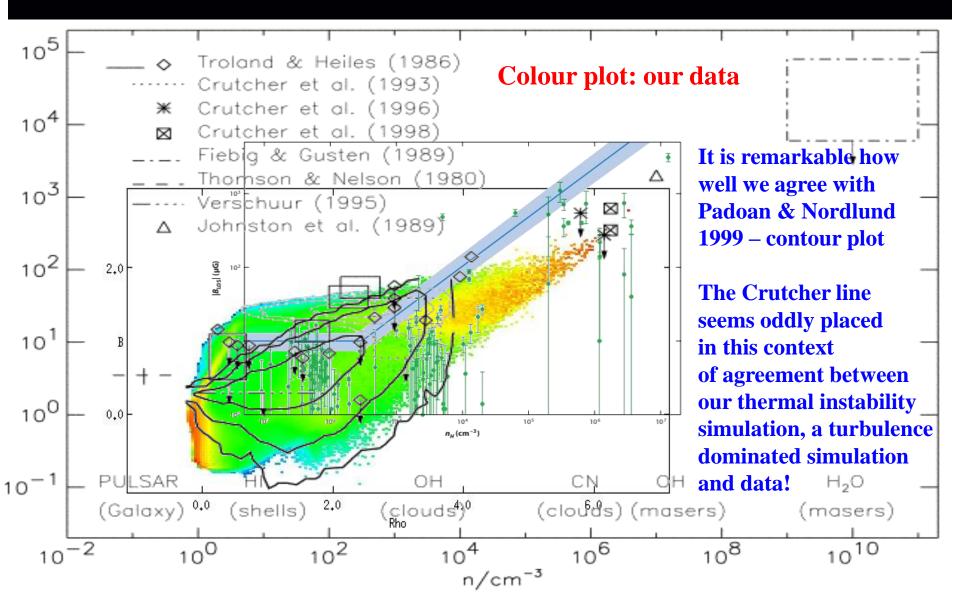
- A senior theoretician in this field recently emphasized that any model should have (1) realistic inputs *and* (2) realistic outputs.
- Anything that fails either (1) or (2) should be ignored by all.
- **Key output 1**: the so-called Crutcher  $|\mathbf{B}|$ - $\rho$  relationship ->
- **Key output 2**: turbulence-like velocity dispersion (albeit with short inertial range: ~1 decade).



If realistic outputs can be generated by multiple models and realistic inputs are difficult to establish with any certainty, how do we truly distinguish between inputs and models?

## The Crutcher relationship: comparing models

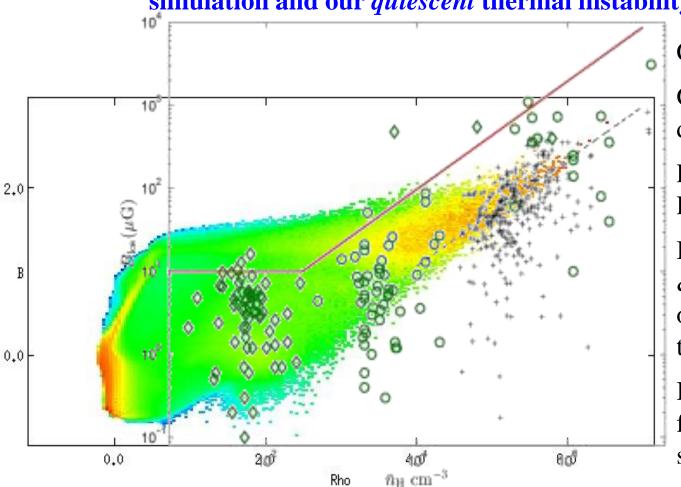




# Reproducing the Crutcher relationship: $|\underline{B}|$ vs. $\rho$



Agreement at high density between others' driven turbulence simulation and our quiescent thermal instability simulation.



Colour plot: our data

Green circles: Crutcher datapoints.

Red line: Crutcher Relationship

Black crosses: Li, McKee & Klein 2015 simulation of driven Mach 10 turbulence, with M<sub>A</sub> ~1.

Black dashed line: best fit by Li et al. to their simulation data.

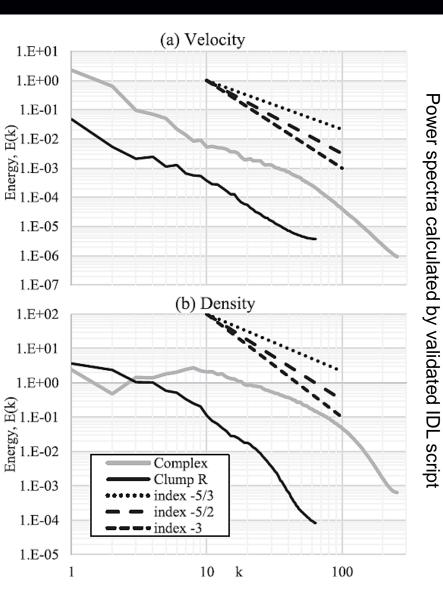
## Outputs: a turbulent appearance!

## UNIVERSITY OF LEEDS

- Turbulence-like (-5/3) power spectra in the warm stable medium
- Short inertial range (1 decade) -> by no means fully developed turbulence.
- Should extend to larger scales
- Akin to Larson-like turbulence:"hierarchy of small-scale irregularities
  superimposed on larger-scale more
  systematic motions"
- Spectral break at ~1 pc, on the size-scale of the clumps – could be considered a "dissipative limit"
- Steeper spectral index of -3 implied inside the clumps

#### Compares well with recent observations: Kalberla & Haud, 2019, A&A, 627, A112

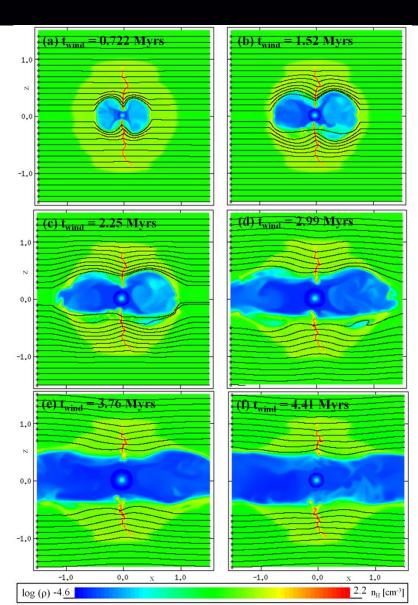
 $Cloud\ complex-40pc\ box.\ Clump\ R-10pc\ box.$ 



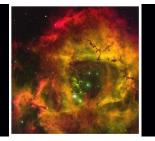
#### Mechanical stellar wind feedback



- 40 M<sub>o</sub> star embedded in the sheet
- Realistic Geneva (2012) evolution imposed via density and energy sources
- Significant impact on a 1.7x10<sup>4</sup> M<sub>o</sub> cloud
- Large bipolar cavity evolves into a cylindrical cavity (diameter~40pc) through the centre of the cloud
- Cavity filled with hot, tenuous wind material moving at up to 1000 km/s
- Magnetic field intensified by factors of
   3-4 during this wind phase
- Much of the wind material flows out of the domain along the cavity – this missing wind is simply focussed away!

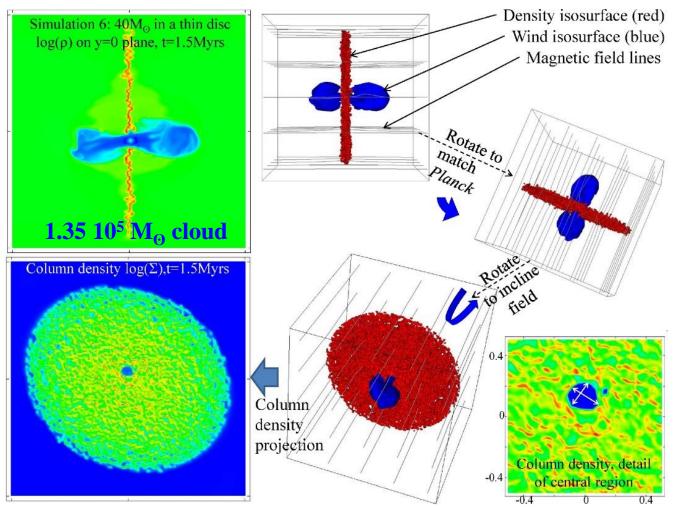


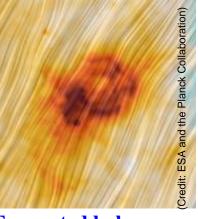
#### Simulating the Rosette Nebula





Magnetic field alignment, proper motion and location of possible triggered star formation all support this model.

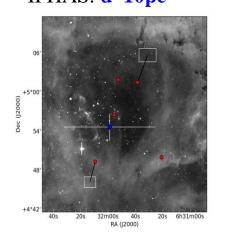




#### **Evacuated hole**

- Simulation: 10x7.5 pc

- Observations: Celnik: d~13pc IPHAS: d~10pc



#### The (modified) engine



- Magnetohydrodynamic version of MG (Morris Garages) with self-gravity.
- Parallelised, upwind, conservative shock-capturing scheme.



- Adaptive mesh refinement uses a coarse base grid (4x4x4) with 7 (or more) levels of AMR to achieve a resolution up to  $512^3$  (the Honda bit?).
  - Why the wide range? Efficient computation of self-gravity.

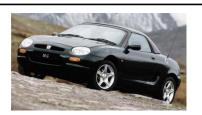


- Realistic heating and cooling methods
  - Of key importance as it is the balance of these that establishes the initial condition and defines the consequent evolution.
- Three field strengths considered, with  $\underline{B} = B_o \hat{\underline{I}}_x$

$$\beta = \frac{\rho k_B T}{B^2 / 2\mu_0} \qquad \frac{\text{thermal pressure}}{\text{magnetic pressure}}$$

- The hydrodynamic case:  $\beta = \infty$
- Pressure equivalence:  $\beta = 1$  inferred to be the commonest in reality.
- Magnetically dominated regime:  $\beta = 0.1$

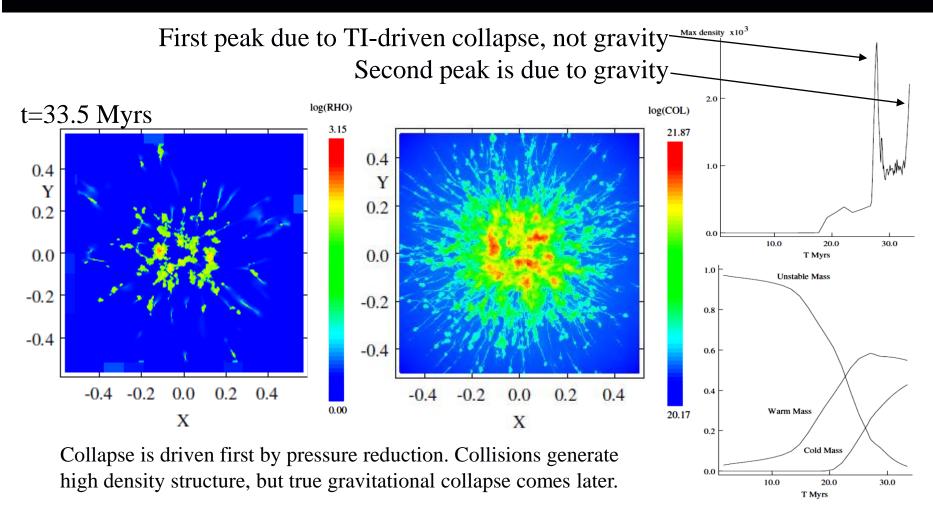
Aside: EPSRC and Innovate UK research proposals to apply MG in industry: cryogenic machining.





## Simple 3D Hydro condition

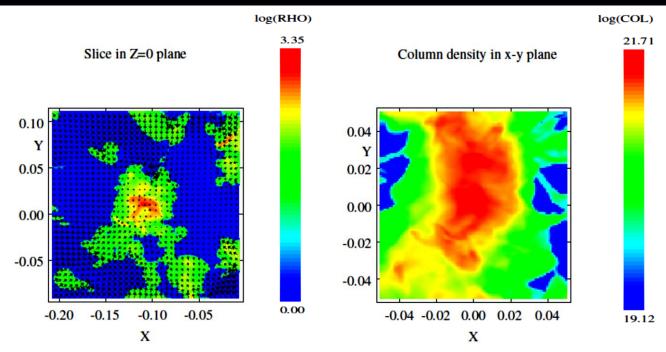




A word of caution though - changing heating and cooling prescriptions changes the equilibrium – it can even suppress the instability!

#### Detail at t=33.5 Myrs





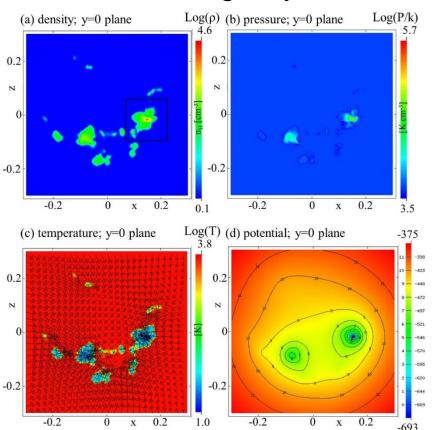
Diameter ~5pc, Mass 182M<sub>o</sub>, Max density 2214, Mean density 177, Max velocity 3.25 km s<sup>-1</sup> (in frame of dense region), 0.6 km s<sup>-1</sup> in dense gas.

Gravitationally bound, but not unstable (Bonnor-Ebert critical mass  $\sim$ 471  $M_{\odot}$ )

## Final evolved enlarged simulation



Cloud has contracted under gravity to a radius of ~10 pc



Most massive clump:  $354 \text{ M}_{\odot}$  (cold phase:  $292 \text{ M}_{\odot}$ ), 5 pc diameter,  $n_{\text{max}} \sim 1.5 \ 10^4 \ (10^{-20} \text{ g cm}^{-3})$ ,  $n_{\text{mean}} \sim 230 \ (5 \text{x} 10^{-22} \text{ g cm}^{-3})$ ,  $T_{\text{min}} \ 10.4 \text{ K}$ ,  $v_{\text{in-flow}}$  up to 2.5 km/s,  $v_{\text{min}} \ 0.2 \text{ km/s}$  in cold clumps

